

Department of Mathematics | School of Science
Linear Algebra I | Short Syllabus

Course name and code: Linear Algebra I (0301241).

Credit hours: 3 hrs. **Prerequisite:** Calculus II (0301102).

Instructor Name	Prof. Baha Alzalg
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Course Description: Systems of linear equations; matrices and matrix operations; homogeneous and nonhomogeneous systems; Gaussian elimination; elementary matrices and a method for finding; determinants; Euclidean vector spaces; linear transformations from to and their properties; general vector spaces; subspaces; basis; dimension; row space; column space; null space of a matrix; rank and nullity; inner product spaces; eigenvalues and diagonalization; linear transformations.

Tests and evaluations: The final grade is calculated as follows:

Midterm Exam (30 %)	Second Exam (20 %)	Final Exam (50 %)
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Contents and schedule: The following is a rough plan. I may include and/or delete new topics.

Topics	Week
SYSTEMS OF LINEAR EQUATIONS AND MATRICES <ul style="list-style-type: none"> • Introduction to Systems of Linear Equations • Gaussian Elimination • Matrices and Matrix Operations • Inverses; Rules of Matrix Arithmetic • Elementary Matrices and a Method for Finding A^{-1} • Further Results on Systems of Equations and Invertibility • Diagonal, Triangular, and Symmetric Matrices 	1-3
DETERMINANTS <ul style="list-style-type: none"> • Determinants by Cofactor Expansion • Evaluating Determinants by Row Reduction • Properties of the Determinant Function • A Combinatorial Approach to Determinants 	4-6
GENERAL VECTOR SPACES <ul style="list-style-type: none"> • Real Vector Spaces • Subspaces • Linear Independence • Basis and Dimension • Row Space, Column Space, and Nullspace • Rank and Nullity 	7-9
INNER PRODUCT SPACES <ul style="list-style-type: none"> • Inner Products • Angle and Orthogonality in Inner Product Spaces • Orthonormal Bases; Gram-Schmidt Process 	10
EIGENVALUES, EIGENVECTORS <ul style="list-style-type: none"> • Eigenvalues and Eigenvectors • Diagonalization 	11-12
LINEAR TRANSFORMATIONS <ul style="list-style-type: none"> • General Linear Transformations • Kernel and Range • Inverse Linear Transformations 	13-15

Textbooks: H. Anton and C. Rorres, *Elementary Linear Algebra* (11th edition), Wiley, 2005.